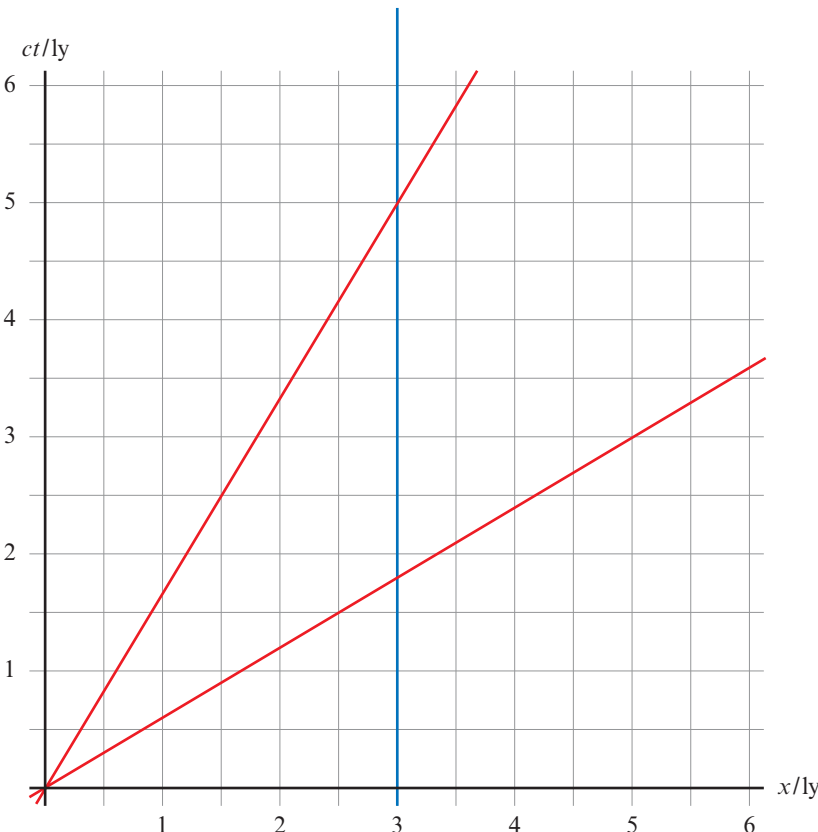


> Markscheme

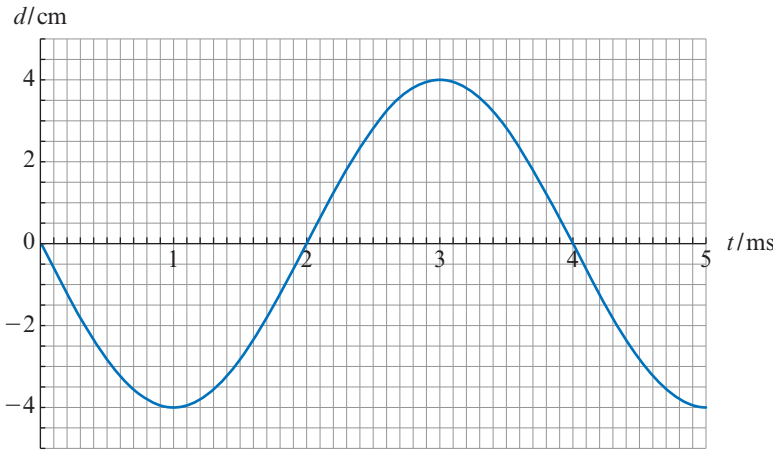
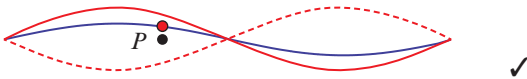

| 1 | | | | |
|---|--|--|--|-----|
| a | | $\frac{16}{2.0} = 8.0 \text{ m s}^{-2} \checkmark$ | | [1] |
| b | | <p>Impulse = area = $32 \text{ N s} \checkmark$</p> <p>$2 \times v - 2 \times (-4) = 32 \Rightarrow v = 12 \text{ m s}^{-1} \checkmark$</p> <p>Change in KE: $\frac{1}{2} \times 2 \times 12^2 - \frac{1}{2} \times 2 \times (-4)^2 = 128 \text{ J} \checkmark$</p> <p>Average power: $\frac{128}{4} = 32 \text{ W} \checkmark$</p> <p>OR</p> <p>Impulse = area = $32 \text{ N s} \checkmark$</p> <p>$2 \times v - 2 \times (-4) = 32 \Rightarrow v = 12 \text{ m s}^{-1} \checkmark$</p> <p>$\bar{P} = \bar{F} \frac{u+v}{2} \checkmark$</p> <p>$\bar{P} = 8.0 \times \frac{-4.0+12}{2} = 32 \text{ W} \checkmark$</p> | | [4] |

| 2 | | | | |
|---|---|--|--|-----|
| a | | $\frac{3.0}{5.0} = 0.60c \checkmark$ | | [1] |
| b | I | <p>Vertical line through 3.0 ly \checkmark</p>  | | [1] |

| | | | | |
|--|-----|--|--|-----|
| | II | 5.0 years read from graph at intersection point ✓ OR $\frac{3.0 \text{ ly}}{0.60c} = 5.0 \text{ yr} \checkmark$ | | [1] |
| | III | $\gamma = \frac{5}{4} \checkmark$ $\Delta t' = \gamma(\Delta t - \frac{v}{c^2} \Delta x) = \frac{5}{4} \times (5.0 - \frac{0.60c}{c^2} \times 3.0 \text{ ly}) = 4.0 \text{ yr} \checkmark$ OR $\gamma = \frac{5}{4} \checkmark$ $\Delta t' = \frac{5.0}{\gamma} = 4.0 \text{ yr} \checkmark$ OR $\gamma = \frac{5}{4} \checkmark$ $\Delta t' = \frac{3.0}{\frac{1.25}{0.60c}} = \frac{2.4 \text{ ly}}{0.60c} = 4.0 \text{ yr} \checkmark$ | | [2] |

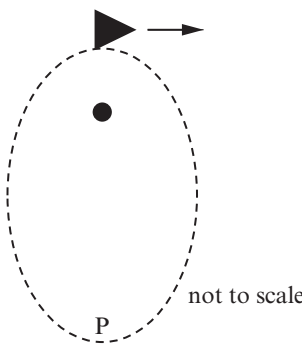
| | | | | |
|---|-----|--|--|-----|
| 3 | | | | |
| a | | A very small percentage of the incident alpha particles were scattered at very large scattering angles ✓ This required a huge electric force that could only be provided if the positive charge of the atom was concentrated in a very small, massive object ✓ | | [2] |
| b | I | ${}_{94}^{239}\text{Pu} \rightarrow {}_{92}^{235}\text{U} + {}_2^4\alpha \checkmark$ Correct numbers for U ✓ | | [2] |
| | II | $235 \times 7.5909 + 4 \times 7.0739 - 239 \times 7.5603 \checkmark$ 5.25 MeV ✓ | | [2] |
| | III | Binding energy per nucleon is a measure of the stability of a nucleus ✓ And uranium is more stable than plutonium ✓ | | [2] |
| c | | Protons tend to break a nucleus apart because the electric force is repulsive ✓ Putting extra neutrons means average distance between protons increases and so tendency to split decreases ✓ And neutrons contribute to bonding through the strong nuclear force ✓ | | [3] |

| | | | | |
|---|---|---|--|-----|
| 4 | | | | |
| a | | In a transverse wave the displacement is at right angles to the direction of energy transfer ✓ In a longitudinal wave the displacement is parallel to the direction of energy transfer ✓ | | [2] |
| b | I | $\lambda = 0.30 \text{ m} \checkmark$ $v = f\lambda = 250 \times 0.30 = 75 \text{ m s}^{-1} \checkmark$ | | [2] |

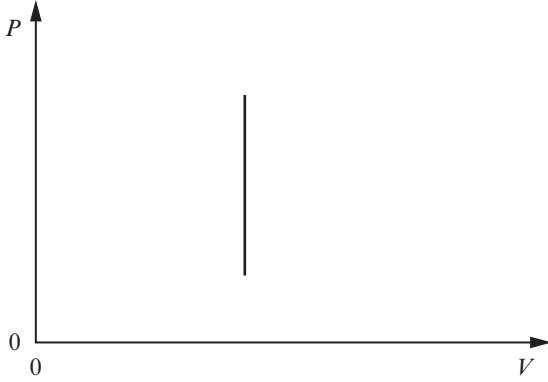
| | | |
|-----|--|-----|
| II |  <p>Correct shape ✓ Correct period ✓</p> | [2] |
| III | $y = -4 \sin(500\pi t)$ ✓ $y = 4 \sin(500\pi t + \pi)$ ✓ | [2] |
| c I |  | [1] |
| II |  | [1] |

| | | | |
|-----|--|---|-----|
| 5 | | | |
| a | | Luminosity also depends on area ✓ Star Z has a much larger area than X ✓ | [2] |
| b I | $\frac{L_Z}{L_Y} = \frac{4\pi\sigma R_Z^2 T_Z^4}{4\pi\sigma R_Y^2 T_Y^4} = 10^6$ ✓ $\frac{R_Z}{R_Y} = \sqrt{10^6 \times \frac{20000^4}{2500^4}}$ ✓ $= 6.4 \times 10^3$ | | [3] |
| c I | | X: by radiation pressure caused by fusion reactions ✓ | [1] |
| II | | Y: by electron degeneracy pressure ✓ | [1] |

| | | | |
|---|--|---|-----|
| 6 | | | |
| a | | Uniform lines from left to right in the interior ✓ Edge effects ✓ | [2] |
| b | | $E = \frac{V}{d} = \frac{240}{2.0 \times 10^{-2}} = 2.2 \times 10^4 \text{ N C}^{-1}$ ✓ | [1] |
| c | | $qV = \frac{1}{2}mv^2 \Rightarrow v = \sqrt{\frac{2qV}{m}}$ ✓ $\frac{v_p}{v_\alpha} = \sqrt{\frac{q_p m_\alpha}{q_\alpha m_p}} = \sqrt{\frac{1}{2} \times 4} = \sqrt{2}$ ✓ | [2] |

| | | | | |
|---|----|---|--|-----|
| 7 | | | | |
| a | | The speed at launch so that the projectile reaches infinity with zero speed ✓ | | [1] |
| b | | $\frac{1}{2}mu^2 - \frac{GMm}{R} = -\frac{GMm}{r} \checkmark$ $\frac{1}{2}m \times \frac{1}{4} \times \frac{2GM}{R} - \frac{GMm}{R} = -\frac{GMm}{r} \checkmark$ $r = \frac{4R}{3} \checkmark$ | | [3] |
| c | I | Along top part of major axis ✓  | | [1] |
| | II | It is less ✓ Because at P the potential energy is a maximum and so kinetic energy a minimum ✓ OR Angular momentum mvr is conserved ✓ r is maximum at P so speed is minimum ✓ | | [2] |

| | | | | |
|---|-----|--|--|-----|
| 8 | | | | |
| a | I | $N = 7.0 \times 6.02 \times 10^{23} = 4.2 \times 10^{24} \checkmark$ $4.2 \times 10^{24} \times 3.0 \times 10^{-30} = 1.3 \times 10^{-5} \text{ m}^3 \checkmark$ | | [2] |
| | II | $V = \frac{RnT}{P} \checkmark$ $V = \frac{8.31 \times 7.0 \times 270}{3.0 \times 10^5} = 5.2 \times 10^{-2} \text{ m}^3 \checkmark$ | | [2] |
| | III | $7 \times 4 = 28 \text{ g} \checkmark$ | | [1] |
| b | | One of the assumptions of the kinetic theory of gases states that the volume of the molecules is negligible compared to the volume of the gas ✓ Here $\frac{V_{\text{molecules}}}{V_{\text{gas}}} = \frac{1.3 \times 10^{-5}}{5.2 \times 10^{-2}} = 2.5 \times 10^{-4}$ which is very small ✓ | | [2] |
| c | | $\frac{P_1}{T_1} = \frac{P_2}{T_2} \Rightarrow T_2 = T_1 \times \frac{P_2}{P_1} \checkmark$ $T_2 = 270 \times \frac{5.0}{3.0} = 450 \text{ K} \checkmark$ | | [2] |

| | | | |
|---|----|--|------------|
| d | |  <p>Vertical straight line ✓</p> | [1] |
| e | I | $\Delta U = \frac{3}{2} R n \Delta T = \frac{3}{2} \times 8.31 \times 7.0 \times (450 - 270) = 15706 \text{ J} \checkmark$ | [1] |
| | II | Realization that $Q = \Delta U \checkmark$ $c = \frac{Q}{m \Delta T} = \frac{15705}{0.028 \times (450 - 270)} = 3.1 \times 10^3 \text{ J kg}^{-1} \text{ K}^{-1} \checkmark$ | [2] |
| f | | $E = \frac{hc}{\lambda} \Rightarrow \lambda = \frac{hc}{E} \checkmark$ $\lambda = \frac{1.24 \times 10^{-6}}{1.86} = 666.6 \approx 667 \text{ nm} \checkmark$ | [2] |
| g | I | [2] max from Electromagnetic radiation with an infinite range of wavelengths ✓ With a peak determined by temperature ✓ Radiation emitted by a body at some finite kelvin temperature ✓ Radiation with an intensity proportional to the 4th power of the kelvin temperature ✓ | [2] max |
| | II | Helium has energy levels separated by 1.86 eV ✓ This energy difference is unique to helium ✓ The dip implies that photons of this energy are absorbed by helium ✓ | [3] |

| | | | |
|---|----|---|-----|
| 9 | | | |
| a | | $v = \frac{2\pi R}{T} = \frac{2\pi \times 1.5 \times 10^{11}}{365 \times 24 \times 60 \times 60} \checkmark$ $v = 2.99 \times 10^4 \approx 3.0 \times 10^4 \text{ m s}^{-1} = 30 \text{ km s}^{-1} \checkmark$ | [2] |
| b | I | $Mv - mv = (M + m)u \checkmark$ Result follows | [1] |
| | II | $m = \frac{2 \times 2 \times 10^{25}}{(2.99 \times 10^4)^2} = 4.47 \times 10^{16} \text{ kg} \checkmark$ | [1] |
| c | I | $R = \frac{GM_{\odot}}{u^2} \checkmark$ $u < v$ so R increases ✓ | [2] |

| | | | | |
|---|-----|--|--|-----|
| | II | <p>The mass of the asteroid is much smaller than that of earth so change in R is not significant ✓</p> <p>(For the aficionados!</p> $u^2 = \frac{GM_{\odot}}{R'} \Rightarrow R' = \frac{GM_{\odot}}{\left(\frac{M-m}{M+m}v\right)^2} = \frac{GM_{\odot}(M+m)^2}{v^2(M-m)^2} = \frac{GM_{\odot}}{v^2} \frac{M^2(1+\frac{m}{M})^2}{M^2(1-\frac{m}{M})^2}$ $R = \frac{GM_{\odot}}{v^2} \times \frac{(1+\frac{m}{M})^2}{(1-\frac{m}{M})^2} = R \frac{(1+\frac{m}{M})^2}{(1-\frac{m}{M})^2}$ <p>From Mathematics HL we know that</p> $\frac{(1+\frac{m}{M})^2}{(1-\frac{m}{M})^2} \approx (1+\frac{2m}{M})(1+\frac{2m}{M}) \approx 1+\frac{4m}{M}$ <p>Hence the change in orbit radius is an increase of</p> $\Delta R \approx R \times \frac{4m}{M} \approx 1.5 \times 10^{11} \times 4 \times \frac{5 \times 10^{16}}{6 \times 10^{24}} \approx 5 \text{ km and so insignificant.})$ | | [1] |
| d | I | <p>Thermal energy needed</p> $M \times 850 \times (1700 - 300) + M \times 1.6 \times 10^5 + M \times 1450 \times (2600 - 1700) + M \times 1.1 \times 10^7 \checkmark$ $= M \times 1.3655 \times 10^7 \checkmark$ $M = \frac{2 \times 10^{25}}{1.3655 \times 10^7} \checkmark$ $M = 1.46 \times 10^{18} \approx 1.5 \times 10^{18} \text{ kg } \checkmark$ | | [4] |
| | II | <p>Smaller ✓</p> <p>Some of the kinetic energy will go as thermal energy in the asteroid and the surrounding air ✓</p> | | [2] |
| | III | <p>Volume of rocks vaporized is $\frac{1.46 \times 10^{18}}{2800} = 5.21 \times 10^{14} \text{ m}^3 \checkmark$</p> <p>Side of cube $(5.21 \times 10^{14})^{1/3} = 8 \times 10^4 \text{ m} \approx 80 \text{ km } \checkmark$</p> | | [2] |
| e | I | <p>$Z = 18 \checkmark$</p> <p>$A = 40 \checkmark$</p> | | [2] |
| | II | <p>Decay constant is $\frac{\ln 2}{1.2 \times 10^{10}} = 5.78 \times 10^{-11} \text{ yr}^{-1} \checkmark$</p> <p>$0.996 = e^{-5.78 \times 10^{-11} \times t} \checkmark$</p> <p>$t = 6.9 \times 10^7 \text{ yr} \approx 69 \text{ million years } \checkmark$</p> | | [3] |